1) . $a+b+c=$ $\qquad$
True

- Angle $a$ and angle $c$ both measure $60^{\circ}$.

False

- If angle a measures $55^{\circ}$, angle c will measure $25^{\circ}$.

False, it will measure $35^{\circ}$.
2) $75^{\circ}$ is the correct missing piece.
3) $a=34^{\circ}$
$b=33^{\circ}$
$c=15^{\circ}$

1) a) Never true. The interior angles of a triangle will always sum to $180^{\circ}$. The length of the side does not affect the total of the interior angles.
b) Never true. Two obtuse angles can not be the interior angles of a triangle.
c) Always true. A triangle must always have at least two acute angles.
2) a) Monika is incorrect. For example, combining the pieces that measure $90^{\circ}, 100^{\circ}$ and $30^{\circ}$ would give you $220^{\circ}$ which is more than the angles of a triangle add to.
b) Robert is incorrect. For example, the angles he has chosen do add to $180^{\circ}$ but they are not the only options. $90^{\circ}+\mathbf{8 0 ^ { \circ }}+\mathbf{1 0 ^ { \circ }}$ and $70^{\circ}+\mathbf{8 0}^{\circ}+30^{\circ}$ also sum to $180^{\circ}$.
3) $a=72^{\circ}$
$b=18^{\circ}$
$c=90^{\circ}$
4) Angle $x$ measures $43^{\circ}$.
5) a) $a=25^{\circ}$
b) $b=22^{\circ}$
c) $\mathrm{c}=68^{\circ}$
6) a) George's statement is false. The angles in a triangle add to $180^{\circ} .180$ is an even number. Three odd numbers added together can not make an even number.
b) Freya's statement is false. If Freya has one angle that is a right angle then the two remaining angles must add to make $90^{\circ}$. This means that the two remaining angles must be les than $9 \mathbf{0}^{\circ}$ each. An angle that is less than $90^{\circ}$ is an acute angle.
7) Decide whether the statements about this triangle are true or false.


- $a+b+c=$ $\qquad$
- Angle $a$ and angle c both measure $60^{\circ}$.
- If angle a measures $55^{\circ}$, angle $c$ will measure $25^{\circ}$.

2) One of the corners is torn from this triangle. Circle the corner that shows the angle of the missing corner.

3) Calculate the missing angles.

$a=$ $\qquad$ $b=$ $\qquad$ $c=$ $\qquad$

Impotant note: angles not drawn to scale, do not use a protractor.

1) Always, sometimes or never true? Prove it!
a) When this triangle is doubled in size, the interior angles also double in size.
$\qquad$
$\qquad$

b) A triangle can have two obtuse interior angles.
$\qquad$
$\qquad$
c) A triangle can have two acute interior angles.
$\qquad$
$\qquad$
2) The teacher has torn the corners off a triangle to demonstrate that they all add up to 180 degrees.

Tayo draws a different scalene triangle and tears off the corners but does not know which of the corners are his.


These children are trying to work out which three of the pieces could have come from Tayo's triangle.
Explain whether you agree or disagree with each child's statement, giving reasons.


I disagree. I think that the pieces that measure $100^{\circ}$, $70^{\circ}$ and $10^{\circ}$ are the only three pieces that could have come from Tayo's triangle.

$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

Impotant note: angles not drawn to scale, do not use a protractor.

1) What are the missing angles?

All these angles are from a type of scalene triangle.
Angle $c$ is a right angle.
Angle $a$ is an acute angle.
Angle $c$ is five time the size of angle $b$.
$a=$ $\qquad$
$b=$ $\qquad$
$c=$ $\qquad$
2) Calculate the value of angle $x$. Use the box for your working out.

3) Calculate the value of the missing angles. Use the box for your working out.

4) Investigate whether each of these children's statements are true or false. Explain your answer fully.
a) George says, "Each angle in my triangle is an odd number."
b) Freya says, "My triangle has one right angle, one obtuse angle and one acute angle."
a) $\qquad$
$\qquad$
$\qquad$
b) $\qquad$
$\qquad$
$\qquad$

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## Diving into Mastery Guidance for Educators

Each activity sheet is split into three sections, diving, deeper and deepest, which are represented by the following icons:


These carefully designed activities take your children through a learning journey, initially ensuring they are fluent with the key concept being taught; then applying this to a range of reasoning and problem-solving activities.

These sheets might not necessarily be used in a linear way. Some children might begin at the 'Deeper' section and in fact, others may 'dive straight in' to the 'Deepest' section if they have already mastered the skill and are applying this to show their depth of understanding.





## Angles in a Triangle (1)

Adam draws a scalene triangle. He tears each of the corners off so he can measure them.


I think that the two pieces with the smallest angle measurements and the piece with the largest angle measurement came from Adam's triangle.

I think only the $120^{\circ}, 40^{\circ}$ and $20^{\circ}$ pieces could have possibly come from Adam's triangle.





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1) Decide whether the statements about this triangle are true or false.

2) One of the corners is torn from this triangle. Circle the corner that shows the angle of the missing corner.

3) Calculate the missing angles.


Impotant note: angles not drawn to scale, do not use a protractor.

1) Decide whether the statements about this triangle are true or false.

2) One of the corners is torn from this triangle. Circle the corner that shows the angle of the missing corner.

3) Calculate the missing angles.


Impotant note: angles not drawn to scale, do not use a protractor.

1) Always, sometimes or never true? Prove it!
a) When this triangle is doubled in size, the interior angles also double in size.
b) A triangle can have two obtuse interior angles.

c) A triangle can have two acute interior angles.
2) The teacher has torn the corners off a triangle to demonstrate that they all add up to 180 degrees.


Tayo draws a different scalene triangle and tears off the corners but does not know which of the corners are his.


These children are trying to work out which three of the pieces could have come from Tayo's triangle. Explain whether you agree or disagree with each child's statement, giving reasons.


I think that any three of these pieces could have been from Tayo's triangle.

I disagree. I think that the pieces that measure $100^{\circ}$, $70^{\circ}$ and $10^{\circ}$ are the only three pieces that could have come from Tayo's triangle.


Impotant note: angles not drawn to scale, do not use a protractor.

1) Always, sometimes or never true? Prove it!
a) When this triangle is doubled in size, the interior angles also double in size.
b) A triangle can have two obtuse interior angles.

c) A triangle can have two acute interior angles.
2) The teacher has torn the corners off a triangle to demonstrate that they all add up to 180 degrees.


Tayo draws a different scalene triangle and tears off the corners but does not know which of the corners are his.


These children are trying to work out which three of the pieces could have come from Tayo's triangle. Explain whether you agree or disagree with each child's statement, giving reasons.


Impotant note: angles not drawn to scale, do not use a protractor.

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Angle $c$ is a right angle.
Angle $a$ is an acute angle.
Angle $c$ is five time the size of angle $b$.
$a=$ $\qquad$
$b=$ $\qquad$
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2) Calculate the value of angle $x$.

3) Calculate the value of the missing angles. Use the box for your working out.

4) Investigate whether each of these children's statements are true or false. Explain your answer fully.
a) George says, "Each angle in my triangle is an odd number."
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